

The Interface of a Function

A *interface* of a function is a summary of how it is used:

- What are the parameters?
- What does the function do?
- What is the return value?

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Turtle Graphics Functions

Let's design a collection of functions that let us draw graphical shapes. We want our functions to be as general as possible.

- square()
- polygon()
- circle()
- arc()
- polyline()

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Interface Design

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Interface Design

- A function's interface should be as simple as possible, but not simpler (Einstein).
- The interface is like a contract between the designer of the function and its users.

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square() -- Second Try

```
def square(t, l):
    """Uses the turtle t to draw a square with
    sides of length l
    """
    for i in range(4):
        fd(t, l)
        lt(t)
```

- Design: Useful for drawing squares. What about other shapes?

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pentagon()

```
def pentagon(t, l):
    """Uses turtle t to draw a pentagon with
    sides of length l
    """
    for i in range(5):
        fd(t, l)
        lt(t, 72)
```

- Design: Useful for drawing pentagons.

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square() -- First Try

```
def square(t):
    """Uses the turtle t to draw a square"""
    for i in range(4):
        fd(t, 100)
        lt(t)
```

- Documentation: The *docstring* ("..." ...) explains the interface.
- Design: Limited usefulness – it can't be used to draw different size squares.

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triangle()

```
def triangle(t, l):
    """Uses the turtle t to draw an equilateral
    triangle with sides of length l
    """
    for i in range(3):
        fd(t, l)
        lt(t, 120)
```

- Design: Useful for drawing equilateral triangles.

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Approximating a Circle

- A square is a (bad) approximation of a circle.
- A pentagon is an (only slightly) better approximation.
- A 120-sided polygon is a pretty good approximation.

```
polygon(bob, 120, 3)
```

- Each side of the polygon is 3 pixels in length
- Circumference = $120 * 3 = 360$ pixels
- Circumference = $2 * \pi * r$
- $r = \text{Circumference} / (2 * \pi) = (120 * \text{length}) / (2 * \pi)$

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polygon() -- Generalization

```
def polygon(t, n, l):  
    """Uses the turtle t to draw a regular n-  
    sided polygon with sides of length l  
    """  
    angle = 360.0 / n # Amount to turn  
    for i in range(n):  
        fd(t, l)  
        lt(t, angle)
```

- Design: This is appropriately general. It can draw triangles, squares, pentagons, etc.

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circle(): interface design

```
def circle(t, r):  
    """ Draws a circle of radius r"""  
    length = 3  
    sides = 120  
    length = circumference / sides  
    polygon(t, sides, length)
```

- Limitation: Sides is fixed, so for big circles the length of the sides may be too big.
- Design: Should we add a 3rd parameter and give the user more control: circle(t,r,n)??

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circle()

```
def circle(t, r):  
    """ Draws a circle of radius r"""  
    circumference = 2 * 3.14159 * r  
    sides = 120  
    length = circumference / sides  
    polygon(t, sides, length)
```

- Design: A circle is a special kind of polygon, one with lots of (120) sides.

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arc(): Design

- An *arc* can be a *generalization* of circle.
- A circle is an arc of 360 degrees.
- circumference = $2 * 3.14159 * r$
- arc_length = Circumference * angle / 360
- ~~sides = int(arc_length / 3) + 1~~
def arc(t, r, angle)
• step_length = arc_length / sides angle / 360
- ~~step_angle = float(angle) / sides~~
step_length = arc_length / n
step_angle = float(angle) / n
- for i in range(n):
fd(t, step_length)

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circle(): 2nd Try

```
def circle(t, r):  
    """ Draws a circle of radius r"""  
    circumference = 2 * 3.14159 * r  
    length = 3  
    sides = int(circumference / 3) + 1  
    polygon(t, sides, length)
```

- Length is fixed at 3, number of sides varies.
- **circle(t, r)** is cleaner than **circle(t, r, n)**

arc(): 1st Try

- An *arc* can be a *generalization* of circle.
- A circle is an arc of 360 degrees.

```
def arc(t, r, angle):  
    arc_length = 2 * 3.14159 * r * angle / 360  
    n = int(arc_length / 3) + 1  
    step_length = arc_length / n  
    step_angle = float(angle) / n  
  
    for i in range(n):  
        # Looks like polygon  
        fd(t, step_length)  
        lt(t, step_angle)
```

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arc(): Design

- An *arc* can be a *generalization* of circle.
- A circle is an arc of 360 degrees.
- circumference = $2 * 3.14159 * r$
- arc_length = Circumference * angle / 360
- $n = \text{int}(\text{arc_length} / 3) + 1$
- step_length = arc_length / n
- step_angle = float(angle / n)

polyline(): Design

```
def polyline (t, n, length, angle):  
    """Draws a line consisting of n segments of length,  
    length, with a turn of angle after each segment  
    """  
    for i in range(n):  
        fd(t, length)  
        lt(t, angle)
```

- polyline(bob, 100, 3, 0) # straight line
- polyline(bob, 100, 3, 360) # straight line
- polyline(bob, 4, 100, 360/4) # square with side 100
- polyline(bob, 5, 100, 360/5) # pentagon
- polyline(bob, 8, 100, 360/8) # octagon

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arc(): Refactored

- arc(t,r,angle) is a special case polyline()
- arc_length is a portion of a circumference: angle/360
- n is the total number of line segments of length 3
- step_length is approximately 3
- step_angle is the angle / n

```
def arc(t, r, angle):  
    arc_length = 2 * math.pi * r * angle / 360  
    n = int(arc_length / 3) + 1  
    step_length = arc_length / n  
    step_angle = float(angle) / n  
    polyline(t, n, step_length, step_angle)
```

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arc(): Design

- Can't use polygon without adding an *angle* parameter, but that would ruin it.
- A polygon is nicely defined by number of sides and length of side.

```
def arc(t, r, angle):  
    arc_length = 2 * 3.14159 * r * angle / 360  
    n = int(arc_length / 3) + 1  
    step_length = arc_length / n  
    step_angle = float(angle) / n  
  
    for i in range(n): # Looks like polygon  
        fd(t, step_length)  
        lt(t, step_angle)
```

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polygon(): Refactored

- Polygon() is now trivial to define as a special case of polyline.

```
def polygon (t, n, length):  
    polyline(t, n, length, 360.0/n)
```

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Shapes Library

```
def circle(t, r):  
    arc(t, r, 360)
```

```
def polygon(t, n, length):  
    polyline(t, n, length, 360.0/n)
```

```
def arc(t, r, angle):  
    arc_length = 2 * math.pi * r * angle / 360  
    n = int(arc_length / 3) + 1  
    step_length = arc_length / n  
    step_angle = float(angle) / n  
    polyline(t, n, step_length, step_angle)
```

```
def polyline(t, n, length, angle):  
    for i in range(n):  
        fd(t, length)  
        lt(t, angle)
```

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circle(): Refactored

- A `circle()` is trivial to define as a 360 degree arc.

```
def circle(t, r):  
    arc(t, r, 360)
```

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Interface Design

- Parameters are used to *generalize* the interface.
- Interfaces should be *simple* and *standard*.
- A `square()` function that requires an angle parameter is not simple enough.
- A `square()` function that didn't let the user control the length is not standard.
- *Refactoring* – rewriting functions – is a standard part of designing and developing code.

An Interface

- Interface is like a contract.
- For example, `circle()` requires 2 arguments, a Turtle and a number representing the radius.
- These requirements are *preconditions*.
- If the user meets these preconditions, the function promises to meet certain *postconditions* – e.g., drawing a circle with the given radius.